2004 第 36 屆國際化學奧林匹亞競賽試題 參考題解與評分標準(續)

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理論部份:

理論題1:熱力學

1.1 化學方程式: 〈2分〉

a) 甲烷:

b) 乙烷:

$$2 C_2H_6 + 7 O_2 \longrightarrow 4 CO_2 + 6 H_2O$$

方程式的熱力學數據: 〈4分〉

$$\Delta H^0 = [2 \cdot (-241.8) - 393.5 - (-74.6)] \text{ kJ mol}^{-1} = -802.5 \text{ kJ mol}^{-1}$$

$$\Delta S^0 = [2 \cdot (188.8) + 213.8 - 186.3 - 2 \cdot 205.2] \text{ J mol}^{-1} \text{ K}^{-1} = -5.3 \text{ J mol}^{-1} \text{ K}^{-1}$$

$$\Delta G^0 = -802.5 \text{ kJ mol}^{-1} - 298.15 \text{ K} \cdot (-5.3 \text{ J mol}^{-1} \text{ K}^{-1}) = -800.9 \text{ kJ mol}^{-1}$$

甲烷

$$\Delta H^0 = -802.5 \text{ kJ mol}^{-1}$$
 $\Delta S^0 = -5.3 \text{ J mol}^{-1} \text{ K}^{-1}$ $\Delta G^0 = -800.9 \text{ kJ mol}^{-1}$

$$\Delta H^0 = [6 \cdot (-241.8) - 4 \cdot 393.5 - 2 \cdot (-84.0)] \text{ kJ mol}^{-1} = -2856.8 \text{ kJ mol}^{-1}$$

 $\Delta S^0 = [6.188.8 + 4.213.8 - 2.229.2 - 7.205.2] \text{ J mol}^{-1} \text{ K}^{-1} = +93.2 \text{ J mol}^{-1} \text{ K}^{-1}$
 $\Delta G^0 = -2856.8 \text{ kJ mol}^{-1} - 298.15 \text{ K} \cdot (93.2 \text{ J mol}^{-1} \text{ K}^{-1}) = -2884.6 \text{ kJ mol}^{-1}$

乙烷

$$\Delta H^0 = -2856.8 \text{ kJ mol}^{-1}$$
 $\Delta S^0 = +93.2 \text{ J mol}^{-1} \text{ K}^{-1}$ $\Delta G^0 = -2884.6 \text{ kJ mol}^{-1}$

1.2a) 1立方公尺天然氣中甲烷與乙烷的莫耳數: 〈7分〉

〈概念2分〉

$$m = \rho \cdot V = 0.740 \text{ g L}^{-1} \cdot 1000 \text{ L} = 740 \text{ g}$$
 (1分)
 $M_{\text{av}} = \sum_{i} x(i) M(i) = 0.0024 \cdot 44.01 \text{ g mol}^{-1} + 0.0134 \cdot 28.02 \text{ g mol}^{-1} + 0.9732 \cdot 16.05 \text{ g mol}^{-1} + 0.011 \cdot 30.08 \text{ g mol}^{-1}$

= 16.43 g mol⁻¹
$$(2 分)$$

$$n_{\text{tot}} = m (M_{\text{av}})^{-1} = 740 \text{ g} \cdot (16.43 \text{ g/mol})^{-1} = 45.04 \text{ mol}$$
 (1 $\%$)

$$n(i) = x(i) \cdot n_{\text{tot}}$$
 $n(\text{CH}_4) = x(\text{CH}_4) \cdot n_{\text{tot}} = 0.9732 \cdot 45.04 \text{ mol} = 43.83 \text{ mol}$
 $n(\text{C}_2\text{H}_6) = x(\text{C}_2\text{H}_6) \cdot n_{\text{tot}} = 0.0110 \cdot 45.04 \text{ mol} = 0.495 \text{ mol}$ $\langle 1 \text{ } \hat{T} \rangle \rangle$

1.2b) 燃燒能的相對偏差: 〈2分〉

$$E_{\text{comb.}}(H_2O(g)) = \sum_i n(i) \Delta_c H^{\circ}(i) = 43.83 \text{ mol} \cdot (-802.5 \text{ kJ mol}^{-1}) + 0.495 \text{ mol} \cdot 0.5 \cdot (-2856.8 \text{ kJ mol}^{-1})$$

= -35881 kJ

$$E_{\text{comb.}} (H_2O(g)) = -35881 \text{ kJ}$$
 $\langle 1 \mathcal{D} \rangle$

PUC 的相對偏差

$$E_{PUC}(H_2O(g)) = 9.981 \text{ kWh m}^{-3} \cdot 1 \text{ m}^3 \cdot 3600 \text{ kJ (kWh)}^{-1} = 35932 \text{ kJ}$$

deviation:
$$\Delta E = (E_{\text{comb.}}(H_2O(g)) - E_{\text{PUC}}(H_2O(g)) \cdot 100\% \cdot [E_{\text{comb.}}(H_2O(g))]^{-1}$$

= (35881 kJ - 35932 kJ) · 100% · (35881 kJ)⁻¹ = -0.14%
相對偏差 = -0.14%

1.3 水加熱所須能量: 〈4分〉

水的體積:
$$V_{\text{water}} = 22.5 \text{ m}^3$$
 〈 0.5 分〉

$$n_{\text{water}} = V_{\text{water}} \, \rho_{\text{Water}} \, (M_{\text{water}})^{-1} = 22.5 \, \text{m}^3 \cdot 10^6 \, \text{g m}^{-3} \cdot (18.02 \, \text{g mol}^{-1})^{-1}$$

= 1.249·10⁶ mol $\langle 0.5 \, \text{分} \rangle$

$$E_{\text{water}} = n_{\text{water}} \cdot C_p \cdot \Delta T = 1.249 \cdot 10^6 \text{ mol} \cdot 75.30 \text{ JK}^{-1} \text{ mol}^{-1} \cdot 14 \text{ K} = 1316 \text{ MJ}$$
 (0.5 $\%$)

空氣加熱所須能量:

房子的體積:

$$V_{\text{air}} = 15 \text{ m} \cdot 8 \text{ m} \cdot 3 \text{ m} + 0.5 \cdot 15 \text{ m} \cdot 8 \text{ m} \cdot 2 \text{ m} = 480 \text{ m}^3$$
 (1 $\%$)

$$n_{\text{air}}$$
 = $pV \cdot (RT)^{-1}$ = 1.013·10⁵ Pa · 480 m³ · (8.314 J (K mol)⁻¹ · 283.15 K)⁻¹
= 2.065·10⁴ mol $\langle 0.5 \, \hat{\mathcal{T}} \rangle$

$$C_p(\text{air}) = 0.21 \cdot 29.4 \text{ J (K mol)}^{-1} + 0.79 \cdot 29.1 \text{ J (K mol)}^{-1} = 29.16 \text{ J (K mol)}^{-1}$$

$$E_{\text{air}} = n_{\text{air}} \cdot C_p(\text{air}) \cdot \Delta T = 2.065 \cdot 10^4 \text{ mol} \cdot 29.17 \text{ J (K mol)}^{-1} \cdot 20 \text{ K} = 12.05 \text{ MJ}$$
 (0.5 $\stackrel{\frown}{\Omega}$)

$$E_{\text{air}} = 12.05 \text{ MJ}$$
 $\langle 2.5 分 \rangle$

1.4 維持室溫所須能量: 〈2分〉

房屋表面積:

$$A_{\text{house}} = 3 \text{ m} \cdot 46 \text{ m} + 8 \text{ m} \cdot 2 \text{ m} + ((2 \text{ m})^2 + (4 \text{ m})^2)^{1/2} \cdot 2 \cdot 15 \text{ m} = 288.16 \text{ m}^2$$

熱導電度:

$$\lambda_{\text{wall}} = 1 \text{ J (s K m)}^{-1}$$

隨溫度升降的熱流量〈牆厚d=0.2m〉

$$J = E_{loss} (A \cdot \Delta t)^{-1} = \lambda_{wall} \cdot \Delta T \cdot d^{-1}$$

$$E_{\text{loss}} = 288.16 \text{ m}^2 \cdot (12.60.60 \text{ s}) \cdot 1 \text{ J (s K m)}^{-1} \cdot 25 \text{ K} \cdot (0.2 \text{ m})^{-1} = 1556 \text{ MJ}$$

 $E_{loss} = 1556 \text{ MJ}$

1.5 總能量與費用: 〈3分〉

總能量:

$$E_{\text{tot}} = E_{\text{water}} + E_{\text{air}} + E_{\text{loss}} = 1316 \text{ MJ} + 12 \text{ MJ} + 1556 \text{ MJ} = 2884 \text{ MJ}$$
 $(0.5 \, \%)$

2884 MJ 相當於

$$2.884 \cdot 10^{6} \text{ kJ} \cdot (3600 \text{ s h}^{-1} \cdot 9.981 \text{ kJ s}^{-1} \text{ m}^{-3} \cdot 0.9)^{-1} = 89.18 \text{ m}^{-3}$$

氣體體積
$$V = 89.18 \text{ m}^3$$
 $\langle 1 \mathcal{G} \rangle$

2884 MJ 相當於費用:

設備租金:

150.00€

熱氣總費用

2884 MJ 相當於費用:

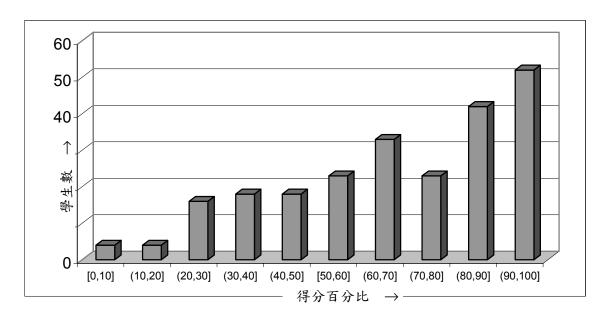
設備租金:

100.00€

熱氣總費用

= 209.75 € (1)

本大題總藍分:24(100%),平均得分:16.1(67.1%),成績分佈圖:



理論題2:催化劑表面之動力學

2.1 反應式: 〈3分〉

2.2 有關 探頭的問題: 〈3分〉

	正確	錯誤	無法判定
若 λ 值在 λ 變化範圍內,於三元催化轉化器中(three-way catalytic converter),一氧化碳與碳氫化合物能被氧化			
λ>1,於三元催化轉化器中,一氧化碳與碳氫化合物能被氧化			
< 0.975,氦氧化物 (nitrogen oxides) 不易被還原			

2.3a) 表面佔據率: 〈1分〉

$$\theta = \frac{0.85kPa^{-1} \cdot 0.65kPa}{1 + 0.85 \cdot 0.65}$$

 $\theta = 0.356 \text{ or } 35.6 \%$

2.3b) 15%表面佔據率之壓力: 〈2分〉

$$\theta = \frac{K \cdot p}{1 + K \cdot p} \iff K \cdot p = \theta + \theta \cdot K \cdot p \iff p \cdot (K - \theta \cdot K) = \theta \iff p = \frac{\theta}{K - \theta \cdot K}$$

$$\langle 1 / \hat{\mathcal{T}} \rangle$$

 $\theta = 0.15$

$$\mathbf{p} = 0.21 \text{ kPa}$$
 〈1分〉

2.3c) 分解反應級數(orders of decomposition): 〈3分〉

低氣體壓力下之分解反應級數 1 〈1.5 分〉

高氣體壓力下之分解反應級數 0 〈1.5分〉

提示:

$$r = k \cdot \theta = k \cdot \frac{K \cdot p}{1 + K \cdot p}$$
, $p \ low \Rightarrow p << \frac{1}{K} \Rightarrow r = k \cdot K \cdot p$ reaction order 1.
$$p \ high \Rightarrow p >> \frac{1}{K} \Rightarrow r = k \qquad reaction \ order \ 0.$$

2.3d) 氣體體積 V_{a,max} 與產物 K • V_{a,max} : 〈4分〉

$$\frac{1}{\theta} = \frac{1}{K \cdot p} + 1 = \frac{V_{a,max}}{V_a} \Rightarrow \frac{1}{K \cdot V_{a,max}} + \frac{p}{V_{a,max}} = \frac{p}{V_a}$$
 (2)

斜率(slope):

$$\frac{1}{V_{a,max}} = 1.9 \, cm^{-3}$$
 \Rightarrow $V_{a,max} = 0.53 \, cm^3$ (1)

截距(intercept):

$$\frac{1}{K \cdot V_{a,max}} = 6 \cdot 10^2 \text{ Pa cm}^{-3} \qquad \Rightarrow \qquad K \cdot V_{a,max} = 1.7 \cdot 10^{-3} \text{ Pa}^{-1} \text{ cm}^{-3}$$
 (1)

2.4 反應速率方程式: 〈7分〉

由題目能直接導出

$$r = k_2 \cdot \theta_{CO_2}$$
 (2)

The law of mass action 對反應機制的第一步驟

$$\theta_{CO_2} = \frac{k_1}{k_{-1}} \cdot \theta_{co} \cdot \theta_{o_2}^{\frac{1}{2}}, \qquad (2) \qquad \Rightarrow \qquad r = k_2 \cdot \frac{k_1}{k_{-1}} \cdot \theta_{co} \cdot \theta_{o_2}^{\frac{1}{2}}. \qquad (1)$$

由 Langmuir 等溫線得:

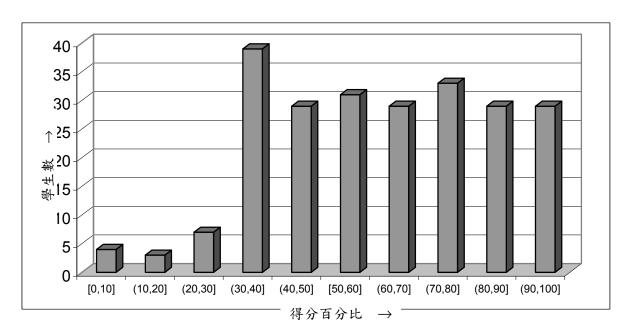
$$\theta_{CO} = \frac{K_{CO} \cdot p_{CO}}{1 + K_{CO_2} \cdot p_{CO_2} + K_{CO} \cdot p_{CO} + K_{O_2} \cdot p_{O_2}} \text{ and}$$

$$\theta_{O_2} = \frac{K_{O_2} \cdot p_{O_2}}{1 + K_{CO_2} \cdot p_{CO_2} + K_{CO} \cdot p_{CO} + K_{O_2} \cdot p_{O_2}} (1.5)$$

$$r = k_2 \frac{k_1}{k_{-1}} \frac{K_{CO} \cdot p_{CO} \cdot (K_{O_2} \cdot p_{O_2})^{\frac{1}{2}}}{(1 + K_{CO_2} \cdot p_{CO_2} + K_{CO} \cdot p_{CO} + K_{O_2} \cdot p_{O_2})^{\frac{3}{2}}}.$$

$$(0.5)$$

本大題總藍分:23 (100%),平均得分:14.0 (61.0%),成績分佈圖:



理論題3:單價鹼土金屬化合物

3.1 化學反應式: 〈3分〉

(a)
$$CaCl_2 + Ca \longrightarrow 2 CaCl$$

(b)
$$2 \operatorname{CaCl}_2 + \operatorname{H}_2 \longrightarrow 2 \operatorname{CaCl} + 2 \operatorname{HCl}$$

3.2 〈2分〉

銀色金屬顆粒:Ca

無色晶體:CaCl2

提示: Ca 與 CaCl2無法以傳統的固相方式反應出 CaCl。

3.3 實驗式(Empirical formula):〈4分〉

= 52.36 m/m% / 40.08 g mol⁻¹

= 1.31 mol% (0.5)

mol% of CI = 46.32 m/m% / M (CI)

= 46.32 m/m% / 35.45 g mol⁻¹

= 1.31 mol% (0.5)

mol% of X = 1.32 % X / M (H)

= 1.32 % X / 1.01 g mol⁻¹

= 1.31 mol% (1)

n(Ca): n(Cl): n(H) = 1:1:1

實驗式 CaCIH

提示:CaCl₂與氫無法反應出 CaCl,代之反應出 CaClH。此化合物結構已由不適於分析如氫般之輕元素位置的 X 光結構分析確定。因此,許久以來存在之氫一直被忽略而將 CaClH 視爲 CaCl。

3.4a) 結構: 〈2分〉

$$C = C = C$$
H $C = C - CH_3$

3.4b) 產物實驗式: 〈2分〉

 $Ca_3C_3Cl_2$

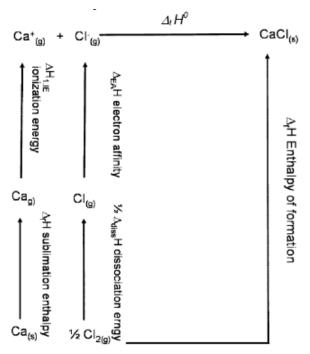
提示:若給予 n(Ca): n(Cl) = 1.5: $1 \langle 或更適以=3:2$ 來重寫 $CaCl_2 \cdot 2Ca^{2+} = Ca_3Cl_2^{4+} \rangle$ 與還原產物含有須兩 Ca^{2+} 中和電荷的 C_3 陰離子的條件,則 $Ca_3C_3Cl_2$ 隨之而得。

3.5a) CaCl 結構: 〈1分〉

 $r(Ca^+)/r(Cl^-) = 120 \text{ pm}/167 \text{ pm} = 0.719$

NaCl	CsCL	ZnS	BN	無法判定

3.5b) 以 Born-Harber-cycle 計算出△↔ (CaCL): 〈5分〉



總計 Born-Harber-cycle 的所有反應步驟

$$\Delta_{t}H^{0}(CaCl) = \Delta_{subl}H^{0}(Ca) + \Delta_{1.1E}H(Ca) + \frac{1}{2}\Delta_{diss}H(Cl_{2}) + \Delta_{EA}H(Cl) + \Delta_{L}H(CaCl)$$

$$= (159.3 + 589.7 + 120 - 349.0 - 751.9) \text{ kJ mol}^{-1}$$

$$(1) \quad (0.5) \quad (1) \quad (0.5) \quad (1)$$

$$\Delta_{t}H^{0}(CaCl) = -231.9 \text{ kJmol}^{-1}$$

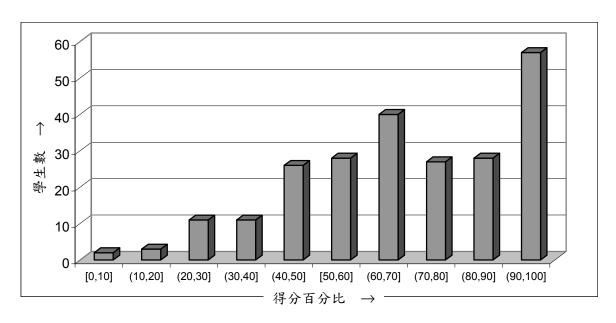
$$(1)$$

3.6 從穩定至自身氧化還原反應(disproportionation): 〈2分〉

$$2 \text{ CaCl} \longrightarrow \text{ CaCl}_2 + \text{ Ca}$$

$$\Delta H = \Delta_i H^0(\text{CaCl}_2) - 2 \Delta_i H^0(\text{CaCl}) = -796.0 \text{ kJ mol}^{-1} + 463.8 \text{ kJ mol}^{-1} = -332.2 \text{ kJ mol}^{-1}$$
 (1) 自身氧化還原反應 是 否 無法判定,須更多資料

本大題總藍分:21(100%),平均得分:14.4(68.6%),成績分佈圖:



理論題4:原子量

4.1 X的原子量、元素符號、結構 〈7分〉

1)
$$X + 2H_2 \longrightarrow XH_4$$
 (1)
2) $2X + 3H_2 \longrightarrow X_2H_6$ (1)

1)
$$5.0 \text{ g} = [n_1(X) + n_2(X)] \cdot M(X)$$

II) 5.628 g =
$$n_1(XH_4) \cdot [M(X) + 4.1.01 \text{ g mol}^{-1}] + n_2(X_2H_6) \cdot [2M(X) + 6.1.01 \text{ g mol}^{-1}]$$

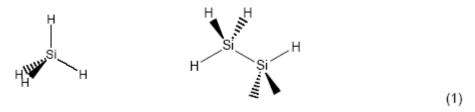
III)
$$n_1(XH_4) = 2n_2(X_2H_6)$$
 (2)

$$III,I) \rightarrow I'$$
 $2n_1(X) \cdot M(X) = 5.0 g$

$$III,II) \rightarrow II'$$
 $n_1(X) \cdot [2M(X) + 7.07 \text{ g mol}^{-1}] = 5.628 \text{ g}$

$$I', |I'\rangle \rightarrow VI)$$
 (5.0 g) · $[2M(X)]^{-1} = (5.628 \text{ g}) \cdot [2M(X) + 7.07 \text{ g mol}^{-1}]^{-1}$ (1) $M(X) = 3.535 \text{ g mol}^{-1} \cdot (5.628 \text{ g})^{-1} \cdot [(5.0 \text{ g})^{-1} \cdot (5.628 \text{ g})^{-1}]^{-1}$ $M(X) = 28.14 \text{ g mol}^{-1}$ X 的原子量 $M(X) = 28.14 \text{ g mol}^{-1}$ X 元素符號:Si

兩產物的立體結構:



(1)

4.2 Y的原子量與礦石的實驗式 (empirical formula of Argyrodite) 〈9分〉

$$Ag_aY_bS_{0.5\cdot a+2\cdot b} + bH_2 \longrightarrow 0.5aAg_2S + bYS + bH_2S$$

I) 10 g =
$$n(Ag_aY_bS_{0.5\cdot a+2\cdot b}) \cdot [a\cdot 107.87 \text{ g mol}^{-1} + b\cdot M(Y) + (0.5\cdot a+2\cdot b)\cdot 32.07 \text{ g mol}^{-1}]$$
 (3)

II)
$$n(H_2) = \frac{p \cdot V(H_2)}{RT}$$

$$n(H_2) = \frac{100kPa \cdot 0.295 \cdot 10^{-3} m^3}{8.314JK^{-1}mol^{-1} \cdot 400K}$$

$$n(H_2) = 8.871 \cdot 10^{-3} \text{ mol}$$

$$n(Ag_aY_bS_{0.5\cdot a + 2\cdot b}) = b^{-1} \cdot 8.871 \cdot 10^{-3} \text{ mol}$$
(1)

III)
$$11.88 = \frac{a \cdot 107.87 \, \text{gmol}^{-1}}{b \cdot M(Y)}$$
 $a \cdot 107.87 \, \text{gmol}^{-1} = 11.88 \cdot b \cdot M(Y)$ (1)

||,||
$$\rightarrow$$
||'| b·10 g·(8.871·10⁻³ mol)⁻¹ = a·107.87 g mol⁻¹ + b·M(Y) + (0.5·a + 2b)·32.07 g mol⁻¹
b·1127 g mol⁻¹ = a·107.87 g mol⁻¹ + b·M(Y) + (0.5·a + 2b)·32.07 g mol⁻¹

III,II')
$$\rightarrow$$
IV) b·1127 g mol⁻¹ = 11.88·b·M(Y) + b·M(Y) + (0.5·a + 2b)·32.07 g mol⁻¹
b·1127 g mol⁻¹ = 11.88·b·M(Y) + b·M(Y) + (0.5· $\frac{11.88 \cdot b \cdot M(Y)}{107.87 g mol^{-1}}$ + 2b)·32.07 g mol⁻¹

$$M(Y) = 72.57 \text{ g mol}^{-1}$$
 (2)

Y 的原子量
$$M(Y) = 72.57 \text{ g mol}^{-1}$$
 (1)

$$M(Y) = 72.57 \text{ g mol}^{-1} \rightarrow III$$
 a:b = 8:1 (1)

Y元素符號:Ge 礦石的實驗式:AgsGeS6

4.3 C-H 鍵的力常數 〈1分〉

$$k(C-H) = [2\pi \cdot c \cdot \widetilde{v} (C-H)]^{2} \cdot \frac{1}{N_{A}} \cdot \frac{3M(C) \cdot M(H)}{3M(C) + 4M(H)}$$
$$= [2\pi \cdot 3 \cdot 10^{10} \text{ cm} \cdot \text{s}^{-1} \cdot 3030 \text{ cm}^{-1}]^{2} \cdot \frac{1}{6.022 \cdot 10^{23} \text{ mol}^{-1}} \cdot \frac{3 \cdot 12.01 \cdot 1.01}{3 \cdot 12.01 + 4 \cdot 1.01} \text{gmol}^{-1}$$

$$k(C-H) = 491.94 \text{ N m}^{-1}$$

Z-H 鍵的力常數 〈1分〉

$$k(Z-H) = k(C-H) \cdot \frac{\Delta_b H(Z-H)}{\Delta_b H(C-H)}$$

= 491.94 N m⁻¹·450.2 kJ mol⁻¹·[438.4 kJ mol⁻¹]⁻¹

$$k(Z-H) = 505.18 \text{ N m}^{-1}$$

Z的原子量、元素符號 〈2分〉

$$\frac{3M(Z) \cdot M(H)}{3M(Z) + 4M(H)} = \frac{k(Z - H) \cdot N_A}{\left[2\pi \cdot c \cdot \widetilde{v}(Z - H)\right]^2}$$

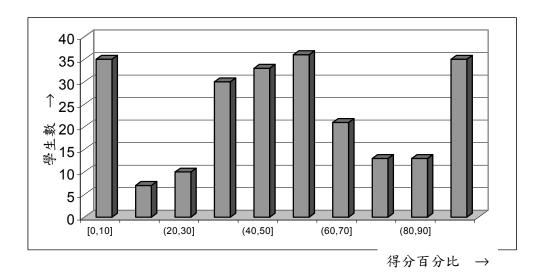
$$M(Z) = \frac{4}{3} \cdot \left(\frac{\left[2\pi \cdot c \cdot \widetilde{v}(Z - H)\right]^2}{k(Z - H) \cdot N_A} - \frac{1}{M(H)}\right)^{-1}$$

$$M(Z) = \frac{4}{3} \cdot \left(\frac{[2\pi \cdot 3 \cdot 10^{10} \cdot 2938.45]^2}{505180 \cdot 6.022 \cdot 10^{23}} - \frac{1}{1.01} \right)^{-1} \text{g mol}^{-1}$$

Z的原子量 $M(Z) = 72.68 \text{ g mol}^{-1}$

Z 元素符號:Ge

本大題總藍分:20(100%),平均得分:10.4(51.8%),成績分佈圖:



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理論題 5: 生化中的熱力學

5.1 反應式(1)的實際值 $\triangle G'$ 〈2分〉

$$\Delta G' = \Delta G^{0'} + RT \ln \frac{c(\text{ADP}^{3-})/(1 \text{ molL}^{-1}) \cdot c(\text{HPO}_{4}^{2-})/(1 \text{ molL}^{-1})}{c(\text{ATP}^{4-})/(1 \text{ molL}^{-1})}$$
(0.5)

=
$$-30500 \text{ J mol}^{-1} + 8.314 \text{ J mol}^{-1} \text{ K}^{-1} \cdot 298.15 \text{ K} \cdot \text{ln} (0.00025 \cdot 0.00165 / 0.00225)$$
 (1)

= -30.5 kJ mol⁻¹ - 21.3 kJ mol⁻¹

$$= -51.8 \text{ kJ mol}^{-1}$$
 (0.5)

5.2 反應式(2)的平衡常數 K' ,[葡萄糖 6-磷酸] (glucose 6-phosphate) 與[葡萄糖] (glucose) 的濃度比値 $\langle 3 \, G \rangle$

$$\Delta G^{o} = -RT \cdot lnK' \qquad (0.5)$$

$$K' = e^{-\Delta G^{\circ}/RT}$$
(0.5)

= e^{-13800 J/mol / (8.314 J/(mol K) · 298.15 K)}

$$K' = \frac{c(\text{glucose 6-phosphate})/(1 \text{ mol } L^{-1})}{c(\text{glucose})/(1 \text{ mol } L^{-1}) \cdot c(\text{HPO}_4^{2-})/(1 \text{ mol } L^{-1})}$$
(0.5)

$$\frac{\text{(glucose 6-phosphate)}}{\text{(glucose)}} = K' \cdot c(HPO_4^{2^*}) \cdot (1 \text{ mol L}^{-1})^{-1}$$
(0.5)

$$= 0.0038 \cdot 0.00165$$
$$= 6.3 \cdot 10^{-6} \tag{0.5}$$

K' = 0.0038
$$\frac{c(glucose 6-phosphate)}{c(glucose)} = 6.3 \cdot 10^{-6}$$
(Σ 1.5)
$$(Σ 1.5)$$

5.3 反應式(3)的 $\triangle G^{\circ}$ 與 K' ,[葡萄糖 6-磷酸]與[葡萄糖]的濃度比值 $\langle 4 \rangle$

$$\Delta G^{\circ}(3) = \Delta G^{\circ}(1) + \Delta G^{\circ}(2)$$
 (0.5)

= -30.5 kJ mol⁻¹ + 13.8 kJ mol⁻¹

$$= -16.7 \text{ kJ mol}^{-1}$$
 (0.5)

$$\Delta G^{\circ \prime} = -RT \cdot lnK^{\prime} \tag{0.5}$$

 $K' = e^{-\Delta G^{\circ}/RT}$

$$= e^{16700 \text{ J/mol / } (8.314 \text{ J/(mol K)} \cdot 298.15 \text{ K)}}$$

$$(0.5)$$

K'	= c(glucose o-priospriate) c(ADP) c(glucose) c(ATP4-)	(0.5)
c(glucose 6-phosphate)	= $K' \cdot \frac{c(ATP^{4-})}{c(ADP^{3-})}$ = $843 \cdot 2.25 \text{ mmol L}^{-1} / 0.25 \text{ mmol L}^{-1}$ = 7587	(0.5)
$\Delta G^{\circ \circ} = -16.7 \text{ kJ mol}^{-1} (\Sigma 1)$	$K' = 843 (\Sigma \ 1.5)$ $\frac{\text{c(glucose 6-phosphate)}}{\text{c(glucose)}} = 7587$	(Σ 1.5)
	(Mass of ATP) 〈2分〉 量:8000 kJ day · 0.5 = 4000 kJ day ·	(0.5)
ATP 產量 (Amount o	of ATP): 4000 kJ day 1/52 kJ mol = 76.9 mol day s of ATP): 76.9 mol day 503 g mol = 38700 g day = 38.7 kg day ((0.5)
平均水解速率:1 da	Mass of ATP) $\langle 1 \mathcal{H} \rangle$ $y = 1440 \text{ min}$ $1 \text{ min} = 1440^{-1} \text{ day}$ $38.7 \text{ kg day}^{-1} / (1440^{-1} \text{ day}) \cdot 1 \text{ min} = 26.9 \text{ g}$	(0.5)
用於降低體內的亂	氧化碳的 C=O 鍵形式釋出人體	

c(glucose 6-phosphate)-c(ADP3-)

5.5a) pH = 7 下,直徑 1 m 的球狀粒線體的質子含量? 〈 2 分 〉

$$V = 4/3 \pi r^{3}$$

$$= 4/3 \pi (0.5 \cdot 10^{-6} \text{ m})^{3}$$

$$= 5.2 \cdot 10^{-19} \text{ m}^{3} = 5.2 \cdot 10^{-16} \text{ L}$$
(0.5)

$$c = 10^{-7} \text{ mol L}^{-1}$$
 (0.5)

$$n = V \cdot c \cdot N_A \tag{0.5}$$

=
$$5.2 \cdot 10^{-16} \text{ L} \cdot 10^{-7} \text{ mol L}^{-1} \cdot 6.022 \cdot 10^{23} \text{ mol}^{-1} = 31$$
 (0.5)

n = 31

ATP 分子數目:

$$n(ATP) = \frac{m(ATP) \cdot N_A}{M(ATP)} = \frac{0.2 \cdot 10^{-15} g \cdot 6.022 \cdot 10^{23} mol^{-1}}{503 \ g \ mol^{-1}} = 239400 \tag{1}$$

每一細胞的 H+數目:

$$n(H^{+}_{percell}) = n(ATP) \cdot 3 = 718300$$
 (0.5)

每一粒線體的 H+數目:

$$n(H_{mit}^{\dagger}) = n(H_{percell}^{\dagger})/1000 = 718$$
 (0.5)

$$n(H_{mit}) = 718$$

本大題總藍分:18(100%),平均得分:11.8(65.7%),成績分佈圖:

